DOSY/Diffusion on Avance III Spectrometers

last update: 22 May 2022 (cgf)

I.	Introduction	pg 1
II.	Step-by-Step Experimental Setup	pg 2
III.	Quick list of Processing Steps using TopSpin	pg 5
IV.	Comments about DOSY/Diffusion processing in MNova	pg 5
V.	Pulse sequence details	pg 7

I. Introduction:

These notes complement Bruker's various documentation (and Claridge¹) describing the setup of DOSY/diffusion measurements on Bruker AVANCE III spectrometers running TopSpin 3.x.* These experiments are nontrivial in experimental setup and in processing. cgfry also has a Bruker PowerPoint, available on request, that provides many useful pointers with respect to setup and processing.

A brief description of these topics is given below, followed by step-by-step instructions for setting up an experiment. Some discussion of processing follows. The data can be processed as a 2D dataset, with (typically) ¹H along F2 and D (diffusion constant) along F1: *this is the only form of display properly called DOSY*. The same data can also be analyzed by fitting the decay in peak height or integral to obtain a decay time proportional to D: *this forms a diffusion analysis*. Both types of analysis and presentation should give the same results. DOSY and diffusion analyses start from the same, identical sets of raw data.

Many scientists prefer the presentation of DOSY, but diffusion curves often yield improved results due to a simpler and more intuitive method of judging the data quality. The "simpler and more intuitive" seems the other way around when looking at the graphs of the data — and bosses are often fooled by the DOSY presentation. One need only to ask how the different plots were arrived at, in terms of the mathematics used, to appreciate that the diffusion analysis is the much simpler analysis. Even so, DOSY provides a powerful visual presentation of the results. [Note that one can construct a DOSY presentation using results from diffusion analysis by simply plotting the diffusion constants from the diffusion analysis versus chemical shift.]

The complexity of DOSY analysis is readily demonstrated by comparing its implementation in TopSpin versus that in MestreNova. The Bayesian analysis performed by MNova, in cgfry's experience, is often terrible: it is great when it works, but is very poor in most other cases. *Thus, a strong recommendation is to use TopSpin for DOSY, and compare that to other methods of analysis (including MNova, but also diffusion analysis).*

The DOSY pulse sequences follow Jerschow & Muller:^{2,3}

dstebpgp3s(1d) [with convection compensation (cc)], or

ledbpgp2s(1d) [without cc]

ledbpgppr2d(1d) [wo cc, including presat]

stebpgp1s19 [wo led, wo cc, includes 3-9-19 watergate]

^{*} See in particular Bruker Help from within TopSpin: \bigcirc \rightarrow Manuals \rightarrow DOSY (in Applications section).

DOSY/Diffusion using TopSpin 3.x

A variety of other sequences are available, starting with dste*, ste* or led*. The first two sequences above incorporate most of the pragmatically useful "tricks" that have been found that enable the highest quality DOSY/diffusion data to be obtained. See section V for more details.

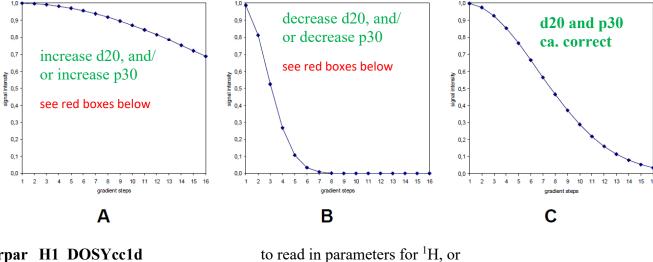
Convection compensation is a necessity for experiments measured at all temperatures away from ambient in 5mm tubes; it should always be used for experiments in cryoprobes with 5mm tubes. If convection is believed to be a problem in an experiment even when using the convection compensated sequence — D is grossly wrong, or you see only a single diffusion constant rather than an expected two or three values — use the following to minimize the convection:

- a) A 3mm tube greatly reduces the actual convection [see notes to come later here or in the Bruker DOSY powerpoint].
- b) Leaving sample spinning on is asserted to reduce convection currents [J. Lunila et al, J. Magn. Reson. A 118 (1996) 50], although experience here (cgf) suggests spinning causes as many problems as it cures (i.e., 3mm tubes are better, unless sensitivity is an absolute premium). Bruker states that Δ should equal a multiple of the spinning speed for best results.
- c) Use of a Shigemi tube will decrease convection by reducing the temperature gradients across the now-smaller sample volume.
- d) Pulsatile heating as typically applied by NMR temp control hardware is noted in some literature as generating convection, even for samples at ambient temps (see, for example, ref 3). It might be beneficial, therefore, to turn off temp control (including the BCU chiller!) for experiments running at ambient temps.

II. Step-by-Step Experimental Setup:

A. 1D optimization of d20 (Δ) and p30 (δ):

- 1) Prepare the sample using guidelines as suggested above to reduce convection currents.
- 2) Setup and acquire a standard 1D acquisition. Change parameters as required to obtain a high quality, quantitative spectrum. Of particular importance are:
 - $d1+aq \rightarrow \geq 3 \times T_1$ of the slowest relaxing nucleus of interest ($5 \times T_1$ is better); aq need only be long enough to provide good (obtainable) resolution (and set $lb \geq 1/aq$; lb=1Hz would be typical for 1 H diffusion experiments)
 - perform a T_1 experiment to confirm choices for d1+aq
 - if the sample has high salt, do a **popt** on **p1** to calibrate the 90° (360°/4) pulse length
 - $ns \rightarrow large enough to obtain good sensitivity (some compromise might be needed to keep the 2D experiment from getting too long); use$ **expt** $to estimate the total time of the 1D experiment; the 2d DOSY exp requires <math>ns=16 \times i$
 - $ds \rightarrow \geq 4$; don't skimp here in the final 2D experiment
 - Steps 3-7 optimize the dosy dataset to look like graph C below, by increasing or reducing the variables **d20** ($\Delta \equiv$ diffusion delay) and/or **p30** ($\delta \equiv$ diffusion gradient length):



3) rpar H1_DOSYcc1d H1_DOSYcc1d_presat H1_DOSYFcc1d

to read in parameters for ¹H, or to read in parameters for ¹H with presaturation, or for ¹⁹F experiments.

The parameter names may be preceded by the probe name (e.g., on Nyx by BBFO_).

Note: Presaturation for peptides, proteins, etc., containing exchangeable protons is likely a good solvent suppression technique (yes, this is counterintuitive). The exchangeables will be attenuated, but they would not give the best **D**iffusion constants in any event: an amide proton spends some time on the peptide/protein, but then exchanges onto a water molecule. The measured **D** in this instance will be an average value between time spent as peptide/protein and water. Rather we reduce the water (and exchangable proton) signals with presaturation, and use the non-exchangable protons on the molecule to determine **D**.

- 4) Change **d1**, **aq**, **sw**, **o1**, **ns**, **ds** to match the 1D experiment taken in step 2 (after doing this, plus the **p30 d20** optimizations, you can do a **wpar** to a new parameter set to allow the simpler **rpar** in future experiments).
- 5) Setup the 1D experiment with the following primary parameter settings:

```
gpz6 = 5

d20 = 0.07s

p30 = 1000μs

;typical range 0.01s to T_1[shortest]

;typical range 0.5 to 3 ms

!!! keep p30 ≤ 3ms (BBFO) or ≤ 2ms (cryoprobes) !!!

the pulse sequence will enforce these limits

ns = 2 ds = 0

;use ns in multiples of 2, ds \ge 4
```

Other important parameters in the sequence involve:

```
p1 @ pl1 ; 90° must be set correctly (it's OK if "normal" sample) d16 = 0.2 to 1.0 ms ;gradient ringdown delay d21 = 5ms ;LED delay gpnam# = SMSQ10.100 ;all gradients use this smoothed rectangular shape ;computed to keep \delta/2=p30, \Delta=d20 accurate lb=1 absf1=1000,1000 absf2=-1000,-1000 absg=5 ]
```

 $p30 / (d1+aq) \le 0.05$

is absolutely critical to prevent probe damage!! This equation makes sure the *gradient duty cycle* is \leq 5%. Note: When **p30** = 2000, that is a 2 ms (pulses are set in μ s). If d1=1 aq=1 (in secs), then the equation is computed as 0.002/(1+1) = .001; these parameters are fine.

- 6) Do rga. Then acquire your 1^{st} spectrum with gpz6 = 3.
- 7) Do an iexpno↓.

Change $\mathbf{gpz6} = \mathbf{95}$ and acquire a 2^{nd} spectrum. (Do not do another rga; we want data at same rg.)

- 8) Use .md $\stackrel{\text{def}}{\text{M}}$ with the gpz6 = 3 spectrum.
 - → select the 2nd spectrum in .md and vertically increase; the goal is a scaling factor ~ 20 i.e., the desired result for the 2nd spectrum is signal intensities ca. 5% of the **gpz6=3** experiment (Figure C above).
 - a) If < 5% you have condition B above: decrease either **d20** or **p30** (these two 1st; can also decrease the max **gpz6** value).
 - b) If > 10% you have condition A above: increase **d20** up to approx. T_I (shortest of interest); after that, **p30** can be increased, but keep **p30** \leq 3ms (BBFO) or \leq 2ms (cryoprobes).
 - c) If the intensity is not decreasing much when $d20 \sim T_I$, gpz6=95 and p30=3 or 2ms, then diffusion in your system (solute+solvent at temp) is too slow to be accurately measured: i.e., the compound's MW is too high, and/or the solvent viscosity is too high. There is nothing you can do other than change solvent or temperature, or accept diminished accuracy in the results. Do not push the parameters to more extreme values; this can damage the hardware!

B. 2D setup and DOSY acquisition:

- 1) Once the optimized values for d20 and p30 are known:
 - a) rpar probe_DOSYcc2d to read in parameters for ¹H, or probe_DOSYFcc2d for ¹⁹F experiments.

The parameter names may be preceded by the probe name (e.g., on Nyx by BBFO).

- b) set **d20** and **p30** to the optimized values found in section A.
- 2) Set $\mathbf{ns} = \mathbf{16} \times \mathbf{i}$ i.e., an acceptable value is a multiple of 16. $\mathbf{expt} \longrightarrow \mathbf{i}$ will provide the total experiment time. Note especially the signal-to-noise of the $\mathbf{gpz6} = 95$ dataset you obtained, and keep \mathbf{ns} large enough so reasonable quality data is obtained at this gradient value.

Set
$$d1 = 2$$
 to $5 \times T_1$.

3) <u>Always</u> run the following au routine, even after an iexpno or wra:

dosy↓

This will setup the gradient array (creates the file **difflist** in the main data folder):

- i) Use ≥ 7 (where 11 to 31 are more typical values).
- ii) Run gradient amplitudes from 3 to 98%.
- iii) The squared (q) setup is recommended.

III. Quick list of Processing Steps using TopSpin

A. Dosy workup:

edp↓

SI[F1] = TD[F1]*2; TD[F1] = number of fids/gradients changes set in step 8

rser 1→ efp→ absn→ ; read 1st row from fid/ser, and process

.ph | save | phase, save to nD, return to 2D

xf2→ ; transform all fids in ser file (F2 only FT)

abs2→ ; polynomial baseline correct of order absg (dc correction by

default; absg=1 straight line, etc)

setdiffparm \rightarrow ; moves Δ (=d20) and δ (=p30×2) into processing modules

eddosy ; opens dosy processing panel; usually don't change anything, but

can add 2nd and 3rd fitting parameters here;

changing **PC** to larger number may help (e.g., **PC**=10 or 40)

dosy2d setup

; does run-through of data, and estimates D range

dosy2d→; performs the dosy transform as setup in eddosy panel

new ; can increment PROCNO by 1 to retain different processing sets

which can then be .md compared

B. Diffusion workup:

```
use Analyse → T1/T2 (see Bruker DOSY manual; pg 19)
something like

xf2→ abs2→ [might change absg=1 or 5 and see effect]

setdiffparm→

Analyze → T1/T2 → FID → Spectrum → 1

back to T1/T2 → Peaks/FID → Integration→ integrate regions of interest →

save to Relaxation module

Relaxation → □

click on sq lg in that order in Relaxation to get linear plot
```

IV. Comments about DOSY/Diffusion processing in MNova:

All the processing above can be done in an analogous manner in MNova. Ease-of-use is clearly better in MNova, but that should not sway the user away from TopSpin for DOSY analysis.

- MNova uses a Bayesian algorithm for the DOSY (2D) transform. There are advantages and disadvantages to this technique. Good values are found (in our experience) for major components. But the Bayesian technique produces considerable noise along all rows having D values having higher probabilities. The technique then completely fails when one is interested in minor components, and can lead to absurd results. **Bruker's DOSY transform will often be superior.**
- Bruker's DOSY methods have many options and algorithms (see **eddosy** for a listing, and Bruker's manuals). There is very little one can change in MNova. The recommendation is to always use a few techniques that appear suitable, both Bruker and MNova, to obtain the best idea of the quality of the data. This includes using "diffusion" or T1/T2 analysis of the data (which cgf prefers).
- Both Bruker and MNova do reasonable jobs with "diffusion" plots. But Bruker's analysis via T1/T2 does a number of things that are odd and hard to understand: it removes points it considers too noisy or poor (when and why is a mystery); it does (we think) an error analysis during the fit and therefore consistently has the fit running above the last few points (which are less significant).
- MNova's error analysis is simpler to work with and provides simple export (copy-paste) features to get the data into Excel.

Other notes:

The normal method of acquiring DOSY data is to vary the gradient amplitude, accomplished by the **dosy** au routine.

- Another possibility is to vary d20 (Δ) across a set of experiments, and plot $\ln(I/I_0)$ vs d20. The two methods should give the same results, but variations in d20 will involve T_1 and T_2 losses. The sequence tries to remove these, but by varying G_Z , relaxation losses are kept constant through the dataset. Thus, the preference is to vary gpz6.
- 1) Remember to set $\mathbf{ns} = 16 \times \mathbf{i}$ and $\mathbf{ds} \ge 4$; set these to obtain adequate signal-to-noise for the $\mathbf{gpz6=95\%}$ experiment..
 - Keep the gradient duty cycle ≤5%: failure to do so could damage the equipment. The Gz duty cycle is the fraction of time the gradients are on during the experiment, e.g.,

 $G_{dutycycle} = (8 \times p30 + 3 \times p19) / (d1 + d20 + 8 \times p30 + 3 \times p19 + d21 + aq) \le 0.05.$

Increase **d1** as needed to make the above true.

2) Determine the diffusion constant **D**. Plot [from eq 6 in Jerschow]:

$$ln(I/I_0)$$
 vs $-\gamma^2 \delta^2 G_Z^2 D \left[\Delta + (4\delta/3 + 3\tau/2) \right]$

I = intensity (any resonance of desired compound)

 I_0 = intensity at very small gradient value (use $G_Z = 1$ data)

 $\gamma = \text{gyromagnetic ratio} = 4.258 \times 10^3 \text{ s}^{-1} \text{ G}^{-1} \text{ (for } ^1\text{H; ratio freqs to get } ^{19}\text{F)}$

 δ = length of the bipolar gradient pulse = $p30 \times 2$ (typically 1 to 10 ms)

 G_Z = gradient strength ~ 0.60 G cm⁻¹ × gpz1

 Δ = time between pulses = **d20**

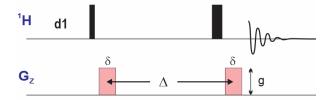
 τ = gradient ringdown delay = **d16×2** (typically 1 to 2 ms)

The slope of the resulting line provides \mathbf{D} . A typical result for an organometallic complex of MW = 600 is approximately 3.5×10^{-11} m² s⁻¹, for MW = 1200 is approximately 2.0×10^{-11} m² s⁻¹.

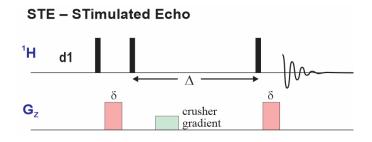
V. Pulse sequence details4

The first sequences used for diffusion measurements involved simple spin-echo or gradient-echo components. Since diffusion experiments require quantitative intensities, preparation using a long enough $\bf{d1}$ is important. The length, $\bf{\delta}$ (p30), and amplitude, \bf{g} (gzp6), of the gradient are critical, as is the primary diffusion delay, $\bf{\Delta}$ (d20).

PGSE - Pulsed (field) Gradient Spin-Echo

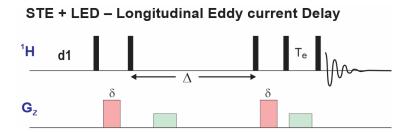


A few serious problems and limitations quickly became apparent with PGSE. One limitation is the necessity of keeping $\Delta < T_2$ to prevent too significant a loss in sensitivity. The gradient pulses cannot be asymmetric with the 180° pulse if chemical shift differences are large. And J-coupling will evolve, and therefore impact the experiment. A number of improvements have been added, as follows:

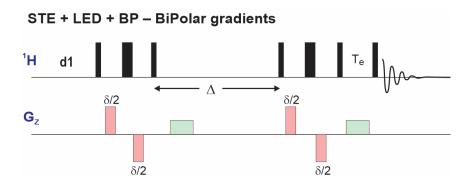


DOSY/Diffusion using TopSpin 3.x

(1) <u>ste</u> – The issues with PGSE are improved by splitting the 180° pulse into two 90° pulses; the sequence still echoes magnetization via STimulated Echoes. Magnetization is stored longitudinally after the 2nd 90° pulse. This storage allows longer Δ delays (**d20**) to be incorporated, limited by T_I relaxation, rather than T_2 as in the PGSE sequence. "Crushing" transverse magnetization during Δ eliminates a lot of other artifacts, and reduces chem shift and J dependences. The convection compensated (*cc*) sequence uses a *double* stimulated echo (*dste*), canceling all constant-velocity effects (see below).



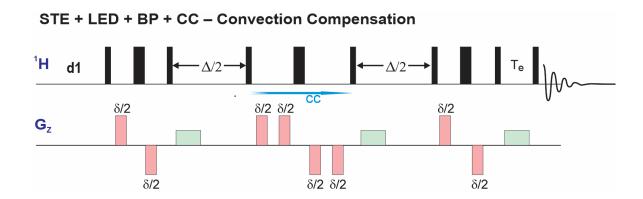
(2) <u>led</u> — longitudinal eddy current delay: At the end of the STE sequence, magnetization is once again stored longitudinally (along the z-axis). A 2nd crusher gradient is applied (again, to remove any residual transverse magnetization), followed by a delay T_e (**d21**) that is long enough to allow all eddy currents[†] to become negligible. A final read 90° pulse is used just prior to acquisition, with confidence now that eddy currents will not distort the FID/spectrum.



- (3) <u>bp</u> bipolar gradients: Eddy currents are further reduced by using pairs of gradients that are opposite in sign. A 180° pulse in the middle enables the gradient pair to act in concert: they both dephase, or both re-phase, the magnetization. Each gradient pulse has a length $\delta/2$ (p30), with the full gradient length then equaling δ (= p30×2).
- (4) <u>diff</u> (kappa in VNMR) unbalancing of the bipolar pairs reduces reliance on EXORCYCLE phase cycling during the sequence (as discussed by Pelta et. al.⁴). At this time, we're (cgf) not sure how useful this implementation is in TopSpin 3.x, and have not pursued it on Bruker spectrometers.

Pg 8

[†] Just as an electrical current in a loop creates a magnetic field, changes in magnetic fields will create currents in circular paths of wire and other metal structures. The currents produced during a pulsed-field gradient are called eddy currents. Eddy currents are pernicious in diffusion and imaging studies, as they can persists for many milliseconds, creating a magnetic field feedback, and thus distorting the detected signal. They also produce a force (opposing magnetic field) that mechanically pushed metal components around. These can break the gradient wires (damaging the probe), and are the source of the clicking and strumming noises so obvious and bothersome when getting an MRI.



(5) <u>cc</u> – convection compensation: This pulse sequence^{2,3} minimizes magnetization decay due to translational motion arising from convection currents (laminar flow only) associated with temperature gradients across the sample. <u>Convection currents will completely ruin DOSY/diffusion experiments if not properly dealt with</u>, and occur even close to ambient temps due to heating from the temperature controller and from rf pulses (e.g., decoupling in a ¹⁹F/³¹P/¹³C experiment, or from the spinlock in a TOCSY experiment). Convection compensation is a necessity for experiments measured at all temperatures away from ambient for samples in 5mm tubes. 50% of the magnetization is lost in this experiment compared to the non-cc versions. With cryoprobe use, samples have convection occurring even at ambient temps. For all these reasons, cc-sequences are the correct version to run for most DOSY experiments.

Pg 9

^{1. 4.} Claridge 3rd ed. chap 10 is very good, and highly recommended for further reading.

^{2.} Jerschow A, Muller N. (1997) Suppression of convection artifacts in stimulated-echo diffusion experiments. *Double-stimulated-echo experiments*. *Journal of Magnetic Resonance* 125(2): 372-5.

^{3.} Jerschow A, Muller N. (1998) Convection compensation in gradient enhanced nuclear magnetic resonance spectroscopy. *Journal of Magnetic Resonance* 132(1): 13-8.

^{4.} Pelta MD, Morris GA, Stchedroff MJ, Hammond SJ. (2002) A one-shot sequence for high-resolution diffusion-ordered spectroscopy. *Magnetic Resonance in Chemistry* 40: S147-S52.